

#### Reverse-Nearest Neighbor Queries on Uncertain Moving Object Trajectories

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## Roadmap

- > Motivation
  - Trajectory Data
  - Uncertainty in Trajectory Data
- > Preliminaries
  - Markov Model
  - Bayesian Model Adaption
  - Indexing
- > Reverse-Nearest Neighbor Search on Uncertain Trajectories
  - Problem Definition
  - Pruning Techniques
  - Evaluation



## > Motivation

- Trajectory Data
- Uncertainty in Trajectory Data

#### > Preliminaries

> Reverse-Nearest Neighbor Search on Uncertain Trajectories



# Moving Object Trajectories: Motivation

- Huge flood of geo-spatial data
  - Modern technology
  - New user mentality
- Great research potential
  - New applications
  - Innovative research
  - Economic Boost
    - "\$600 billion potential annual consumer surplus from using personal location data" [1]

[1] McKinsey Global Institute. Big data: The next frontier for innovation, competition, and productivity. June 2011.





IBM.





# Research Challenge

Include the uncertainty, which is inherent in trajectory data, directly in the querying process.



Assess the reliability of query results.



Enhance the underlying decision-making process.



## Trajectory Data

- (object, location, time) triples
- Queries:
  - "Find friends that attended the same concert last saturday"
- Best case: Continuous function  $time \rightarrow space$



GPS log taken from a thirty minute drive through Seattle Dataset provided by: P. Newson and J. Krumm. Hidden Markov Map Matching Through Noise and Sparseness. ACMGIS 2009.



#### Sources of Uncertainty

- Missing Observations
  - Missing GPS signal
  - RFID sensors available in discrete locations only
  - Wireless sensor nodes sending infrequently to preserve energy
  - Infrequent check-ins of users of geo-social networks



Dataset provided by: E. Cho, S. A. Myers and J. Leskovek. Friendship and Mobility: User Movement in Location-Based Social Networks. SIGKDD 2011.



### Sources of Uncertainty

- Uncertain Observations
  - Imprecise sensor measurements (e.g. radio triangulation, Wi-Fi positioning)
  - Inconsistent information (e.g. contradictive sensor data)
  - Human errors (e.g. in crowd-sourcing applications)
- > From database perspective, the position of a mobile object is uncertain



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#### > Preliminaries

- Markov Model
- Bayesian Model Adaption
- Indexing

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### Markov Model

- > Discretization of time and space
  - treat intersections as states and add additional states on long streets
  - The time interval corresponding to a tick is e.g. 20 sec



- > Estimation of model parameters
  - Transition probabilities from one state to another are learned from historical data (very sparse matrix!!)
  - Transition matrix can change over time and for different object groups



# Model Adaption: Observations [1]

- So far we had only one observation
  from which we could extrapolate
- This is not really of interest since cars do not move randomly
- With two observations we have to introduce more artificial states and adapt the techniques

[1]J. Niedermayer, A. Züfle, T. Emrich, M. Renz, N. Mamoulis, L. Chen, H.-P. Kriegel: *Probabilistic Nearest Neighbor Queries on Uncertain Moving Object Trajectories.* PVLDB 2013





## Indexing Uncertain Trajectory Data [2]

- > With the above techniques each object in the database has to be processed
- > Index Structure based on R-Tree indexing the ST-Space





[2] T. Emrich, H.-P. Kriegel, N. Mamoulis, M. Renz, and A. Züfle. *Indexing uncertain spatio-temporal data.* CIKM 2012.



#### > Motivation

#### > Preliminaries

#### > Reverse-Nearest Neighbor Search on Uncertain Trajectories

- Problem Definition
- Pruning Techniques
- Evaluation



### Reverse Nearest Neighbor Queries: Example

A probabilistic  $\exists(\forall)$  reverse nearest neighbor query retrieves all objects having a sufficiently high probability to be the reverse nearest neighbor of a query trajectory q for at least one point of time (each point of time) in a query time window T.



object	trajectory	P(tr)
o <sub>1</sub>	tr <sub>1,1</sub> = s <sub>4</sub> , s <sub>2</sub> , s <sub>1</sub>	0.4
o <sub>1</sub>	tr <sub>1,2</sub> = s <sub>4</sub> , s <sub>7</sub> , s <sub>7</sub>	0.6
o <sub>2</sub>	$tr_{2,1} = s_{3,} s_{3,} s_{5}$	0.2
0 <sub>2</sub>	$tr_{2,2} = s_{3,} s_{5,} s_{3}$	0.8

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Example Query: Return objects having a non-zero probability to be the RNN of q at time t=2 and t=3.



# Temporal Pruning

Prune page regions of the index not overlapping the query in time.





# Spatial Pruning

- Rectangle based pruning at single points of time of the query.[3]
  - Can q(t) be closer to C(t) than A(t)?
    - => C is a candidate at time t
  - Must q(t) be closer to C(t) than A(t)?
    - $\Rightarrow$  C is a true hit at time t
- > Union(Intersect) to obtain probabilistic
  ∃(∀) reverse nearest neighbor candidates







#### Verification

- > Monte-Carlo-Sampling
  - Using a-posteriori transition matrices conditioned to observations
  - For each sampled world
    - > Check for each object o if it is a  $\exists(\forall)$  reverse nearest neighbor
  - Use the relative number of sampled worlds where o is a ∃(∀) reverse nearest neighbor as an unbiased estimator of the probability p that o is a ∃(∀) reverse nearest neighbor.
  - Use standard techniques to obtain a confidence interval of the probability of a binomial random variable.



### Evaluation



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# Does the Markov assumption hold in reality ?

- Of course single cars do not follow the Markov Chain (weighted random walk)
- However the Markov Model is just the apriori Model in which we infer the observations



- + A-posteriori Markov model
- \* A-priori Markov model
- imes A-posteriori Markov model without a-priori knowledge
- Spatio-Temporal approximations (competitor approach)